

### QUANTITATIVE TEXTURE ANALYSIS OF BLANKET FILMS AND INTERCONNECTS

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# Outline

1. Overview QTA: Orientation Distribution Function (ODF)

- measurement of pole figures,
- transformations from pole figures to ODF
- precision and accuracy issues
- graphical and numerical representation of texture data
- 2. How are texture measurements and analysis in thin film structures different from a traditional approach for bulk materials?
- experimental requirements and solutions,
- ODF analysis
- 3. Examples of QTA applied to copper metallization technology.



## Orientation of Individual Crystallites: Definition of Euler Angles

(d)



(c)



- *g* may be specified in numerous ways:
  - $-g = [g_{ij}]$  orientation matrix
  - $-g = \{ \upsilon \psi \omega \}$  axis-rotation angle
  - -*g*=(hkl)[uvw] metallurgical

- 9 parameters
- 3 parameters
- 6 parameters
- $-g = \{\phi_1 \Phi \phi_2\}$  Euler angles 3 parameters
- Several variants of Euler angles are in use:
  - $\{\phi_1 \Phi \phi_2\}$  H.-J. Bunge, Texture Analysis in Materials Science, Butterworths, London, 1982.
  - {ΨΘΦ} R. J. Roe, J. Appl. Phys. **36** (1965) 2024-2031.
  - $\{\alpha\beta\gamma\}$  S. Matthies, G. W. Vinel, K. Helming, Standard Distributions in Texture Analysis, Academie, Berlin, 1987.



Orientation Distribution Function f(g): Definition of Texture

Orientation distribution by volume:

$$\frac{dV}{V} = f(g)dg$$

Where: dV is the volume of crystallites that have the orientation g within the element of orientation dg, and V is the total sample volume.

Orientation distribution by number of crystallites:

$$\frac{dN}{N} = n(g)dg$$
$$dg = \frac{1}{8\pi^2}\sin\Phi d\varphi_1 d\Phi d\varphi_2$$



# Experimental Methods of Texture Measurement

- Individual orientation measurement: g<sub>i</sub> and corresponding V<sub>i</sub> of all crystallites in the sample, construction of n(g) or f(g).
- Pole figure measurement: direct measurement of dN or dV of crystallites with two angular parameters fixed and the third varied trough all possible values, calculation of ODF from several pole figures.
- Indirect calculation of ODF from measurement of anisotropy of physical properties (elastic, magnetic, electrical).



## Pole Figure Measurements by Diffraction Methods

#### Fixed diffraction vector method

Need at least two independent rotations (e.g.  $\Phi$  and  $\chi$ ) but usually texture goniometers allow three sample rotations ( $\Phi$ ,  $\omega$  and  $\chi$ )

#### Variable diffraction vector method

Diffraction vector varies along Debye ring and for different Debye rings

Only one sample rotation angle is needed ( $\Phi$ )







# Intensity Distributions Are Not Pole Figures

- Intensity to pole density conversions include:
  - Absorption corrections (necessary for tilts >70 degrees)
  - Defocusing corrections
  - Background corrections
  - Variable diffracting volume (especially for thin films)
- Corrections in pole figure space:
  - Sample misalignment
  - Parallax errors (detector space)
  - Interpolation in pole figure space
  - Pole figure normalization
- Goniometer misalignment errors are generally not correctable (e.g. peak shifts with tilt, etc.)
- Individual pole figures and sets of pole figures must be selfconsistent

# HyperNex Asymmetric Diffraction Geometry Results in Non-Equidistant Mapping in Pole Figure Space



All ODF programs accept pole figure data on a equidistant mesh Interpolation in PF space is necessary Angular resolution of PF's must match the sharpness of measured texture



# Thin Films: Experimental Specifics

- Finite thickness often requires grazing incident geometry (asymmetric diffraction)
- Tilt dependent (varying) penetration depth may hinder analysis but can be controlled
- Multilayers require additional absorption correction
- Diffracting volume changes with tilt
- Experiments always result in incomplete pole figures





# Pole Figure Inversion Methods

Method	Source Codes	Resolution	Solution (texture dependent)	Computer Time
Fourier Methods	s Acols Chadas Strives	de ( @)a), dona ( da 9ve-dø)	at a horizontal de la	leaded by
Classical harmonic	Many available; e.g., Jura et al.,	Limited	$\tilde{f}(g)$	94941 <b>1*</b> 1 94969 - 566
Zero range Iterative positivity Quadratic form Maximum entropy	Bunge-Esling Dahms-Bunge Van Houtte Liang et al.	L Residual error	$\begin{cases} \text{weak tex.: } \tilde{f}(g) \\ \text{strong tex.: } f(g) \\ \text{Smooth ODF} \end{cases}$	5 3 10
Direct Methods Vector Imhof Pawlik-Pospiech WIMV	Vadon, Schaeben Imhof Pawlik, Pospiech Matthies-Vinel, Kallend	Limited by computer Good	weak tex.: $\tilde{f}(g)$ strong tex.: $f(g)$ Smooth with strong peaks	10 5 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1
Gauss correction	Lücke, Pospiech	Residual error	Strong peaks	ounts or <mark>ce</mark> l

Wenk, Bunge, Kallend, Lucke, Matthies, Pospiech, Van Houte, ICOTOM 8, (TMS, 1988), p. 17.



## Error Criteria for ODF Calculations

$$RP(\varepsilon) = \frac{1}{IJ} \sum_{i=1}^{I} \sum_{j=1}^{J} \frac{\left| PF_{ij}^{cal} - PF_{ij}^{exp} \right|}{PF_{ij}^{exp}} \theta(\varepsilon, PF_{ij}^{exp}) 100\%$$
$$\theta(\varepsilon, x) = \begin{cases} 0 & for_{x > \varepsilon}^{x \le \varepsilon} \end{cases}$$

where: i indicates the pole figure, I is the number of pole figures taken for ODF calculation, j indicates a point on a pole figure and J is the number of points on the pole figure taken for ODF calculation **Table 2. RP error measures (practical experience, Wenk and Matthies)** 

RP %	Maximum deviations expected in pole figures $\pm$ m.r.d.	Applicability
0.5 - 1	0.05	Resolution of most methods
1 - 2	0.1	Excellent experimental pole figures
2 - 5	0.2	Good pole figures-weak textures
5 - 10	0.5	Good pole figures—strong textures
> 10	1.0	Problems with data

Wenk, Bunge, Kallend, Lucke, Matthies, Pospiech, Van Houte, ICOTOM 8, (TMS, 1988), p. 17.



# Representations of ODF

For cubic-orthorhombic symmetry ODF with 1 deg. resolution contains 729,000 values

- Graphic representations are semiquantitative and include:
- -3-D cross-sections
- -2-D cross-sections
- -Cartesian or polar coordinates

Quantitative representation by model functions (texture components)







## Representation of ODF by 2D and 1D Cross-Sections

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100

ntensity meter		×
Euler angles	90, 61, 40	
Miller indices	{7 8 6}<-30 -36 87>	
Intensity	0.8014	





## Semiconductor Industry Imposes New Requirements on Texture Analysis

- High resolution texture analysis: High resolution of reciprocal space mapping Direct methods of ODF calculations
- High spatial resolution: Precision in beam and sample positioning Small x-ray beams Stationary sample
- Mapping capability Accommodate 200 and 300 mm wafers





• Other: throughput, contamination control, automation



### Methods Based On Series Expansion Lack Resolving Power For Sharp Textures

Effect of the expansion level  $l_{max}$  (harmonic methods) on the reproduced ODF value





#### Direct Methods (WIMV, ADC) With 1 Degree Resolution Are Preferred





#### Measurement Platform of Texture Mapping Instrument





#### Several Incomplete Pole Figures Are Measured Simultaneously



#### HyperNex Pole Figure Ranges Are Optimized For Materials And Textures Typical of Semiconductor Industry



Use model functions to simulate ODF Select ranges on PF satisfying MPDS criterion Use partial PF to recalculate ODF Estimate relative error (<2%)

$$RP(\varepsilon) = \frac{1}{IJ} \sum_{i=1}^{I} \sum_{j=1}^{J} \frac{|PF_{ij}^{cal} - PF_{ij}^{mod}|}{PF_{ij}^{mod}} 100\%$$



### Quantitative Texture Analysis Offers Numerous Outputs





#### Volume Fractions of Texture Components Are A Quantitative Measure Easy to Interpret



Volume fractions of texture components with cyclic fiber textures are determined with accuracy better then 5% and precision of 0.5%

$$\frac{dV}{V} = f(g)dg$$

$$dg = \frac{1}{8\pi^2} \sin \Phi d\phi 1 d\Phi d\phi 2$$



#### Errors in Volume Fraction Analysis Are Estimated Using Model Textures



1.0µm PVD/0.25 µm EP blanket copper film annealed at 300C for 0.5 hour 1.0µm PVD/0.25 µm EP blanket copper film recrystallized at room temperature

# HyperNex

4.5 3.5

2.5 1.5 0.5

0 +---

(220) pole density

# QTA of 1.0 $\mu$ m PVD/0.25 $\mu$ m EP blanket copper film annealed at 300C for 0.5 hour

(111) pole density

Texture component	Volume fraction	FWHM (deg)
(111)	0.15	2.5
(511) 1-st gen. twin	0.02	3.0
(5713) 2-nd gen twin	0.01	3.0
(100)	0.25	8.0
(221) 1-st. gen. twin	0.40	9.0
Random	0.15	-

	Pole Figure	<b>RP</b> (1) (%)	Correlation		
50 45 - 40 -	(111)	8.9	1.00		
35 - 30 - 25 -	(200)	15.1	1.00		
20 - 15 - 10 -	(220)	5.0	0.98		
	10 20 30 40 tilt and	50 60 70	80 90		
/	$\begin{bmatrix} 35 \\ 30 \end{bmatrix}$				
(200) pole density	25 - 20 - 15 - 10 -				

tilt angle (degrees)



# HyperNex QTA for 1.0μm PVD/0.25 μm EP blanket copper film recrystallized at room temperature





#### **Texture Modeling Helps to Interpret Experimental Results**



#### **HyperNex** High Spatial Resolution (~100 µm) and Precision In Positioning (~10 µm) Is Often Required **Electroplated Damascene Copper +CMP**, Structure Size 300 X 500 μm<sup>2</sup> 30 **Collimator size 100 microns monocapillary** S W Spot size 120 x 320 microns 25 % volume of (111) fiber line spacing 0.27 microns 20 15 Blanket film 10 w/(w+s) = const5 0

line width (microns)

6

4

8

10

12

2

0



### Wafer Mapping Helps to Understand Processing Variables





- Quantitative texture analysis (QTA) has evolved as a powerful tool for material characterization
- In controlled circumstances QTA is operator independent and suitable for automation
- Application of QTA as a quality control tool is feasible; it has been proven in the sheet metal industry and is being evaluated in the semiconductor industry